### Water-resource use and conflict in a two-sector evolutionary model

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Italian Association of Environmental and Resource Economists 4th Annual Conference, 11-12 February 2016, Bologna

#### Overview

- Over the last few years the growing problems of water scarcity and water pollution have attracted increasing attention
- \* Water conflicts/competition both across countries (e.g. Ciad-Nigeria-Camerun, Israel vs. Jordan, Siria vs. Turkey etc...) and within countries (among competing populations/firms/sectors)
- \* To deal with these problems the introduction of a system of market incentives (and disincentives) in water management has been proposed

#### Water tradable permits: applications

- \* Water tradable pollution rights (WTPR): mainly US (Colorado, California, Wisconsin etc...) and Australia (Murray-Darling basin)
- \* Water tradable abstraction rights (WTAR): US, Australia but also Chile, Mexico and other LDCs
- \* Mixed results: some experiences very successful (e.g. Murray-Darling basin, Idaho, California), others unsuccessful (small number transactions in Wisconsin, Colorado...)

#### **Related Literature**

- Huge literature on ETS (mainly on GHG emission trading)
- Vast literature on water applications (mainly case studies):
   Borghesi (2013, JEPM), Fisher-Vanden and Olmstead (2013, JEP) for surveys on WTPR and WTAR
- Recent empirical studies on invention and diffusion of water supply and water efficiency technologies (Conway et al., 2015)
- Small subset of theoretical models on water trading (mainly simulations)
- This paper: Study consequences of a market for water-use permits in the presence of a population of interacting economic agents characterized by imitative behaviours

### Aim of the paper

- investigate the theoretical framework underlying the application of water tradable permits by proposing a dynamic evolutionary model to capture: (i) water competition among sectors and (ii) bounded rationality among economic agents
- \* Two-sector model with replicator dynamics
  - Antoci, Borghesi, Sodini, 2014. "ETS and technological innovation: a random matching model", Handbook Climate Change, Oxford University Press
  - Antoci, Borghesi, Russu, Ticci, 2015: 2-sector model on FDI (Ecol Econ)

#### A TWO-SECTOR MODEL

- \* 2 sectors: A and B
- Population of agents
- \* The size of the population is constant and represented by the positive parameter N
- \* the variable x(t) indicates the share of the population working in sector A at time t (so  $1 \ge x(t) \ge 0$ , and 1 x(t) indicates the share of the population working in sector B)
- \* The production activities in both sectors depend on the stock Wi (i=A,B) of available water resources (Wi can also be interpreted as an index that takes water "quality" into account)

### SET UP OF THE MODEL

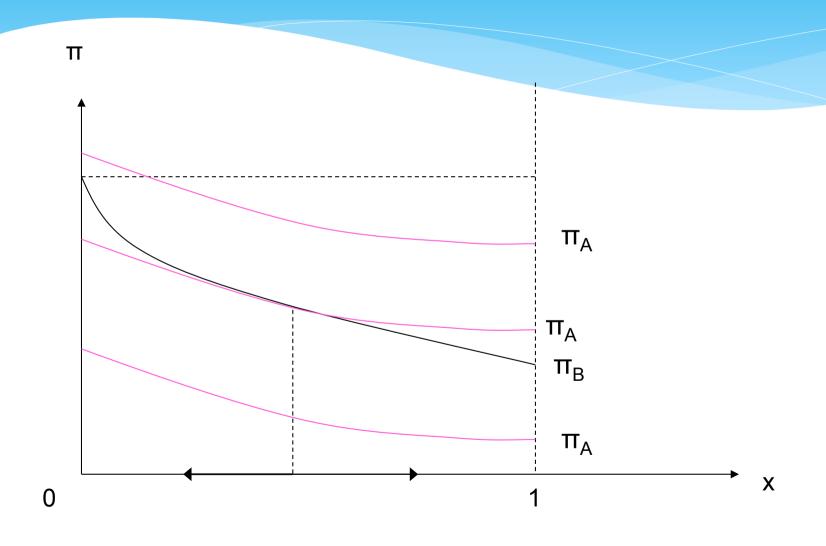
- $W_A(x) = \overline{W}_A \alpha x \overline{N} \beta (1 x) \overline{N}$  where:  $\alpha > \beta > 0$
- \*  $W_B(x) = \overline{W}_B \gamma x \overline{N} \delta (1 x) \overline{N}$  where:  $\gamma > \delta > 0$
- \*  $\pi_i[W_i(x)]$ : payoff of an agent working in i=A,B
- \*  $\pi'_{i}[.]$  > 0: payoffs strictly increasing functions of available water resources
- \* 2 possible cases:  $\pi_A[W_A(x)]$  decreases more or less rapidly than  $\pi_B[W_B(x)]$  as x increases.
- \* Pricing mechanism: water either free (p=0) or priced as follows:
- \*  $p = \bar{p} + \mu x \bar{N}$  where:  $\bar{p} \ge 0$ ,  $\mu \ge 0$

### Replicator dynamics

(Weibull, 1995)

- \*  $\dot{x} = x(1-x)\{\pi_A[W_A(x)] \pi_B[W_B(x)]\}$
- \* Agents move towards the most profitable sector (i.e. that has the highest payoff)
- \* Possible steady states:
  - \* Extreme equilibria: x=0, x=1
  - \* Inner equilibrium: 0<x<1 s.t.  $\pi_A[W_A(x)] = \pi_B[W_B(x)]$

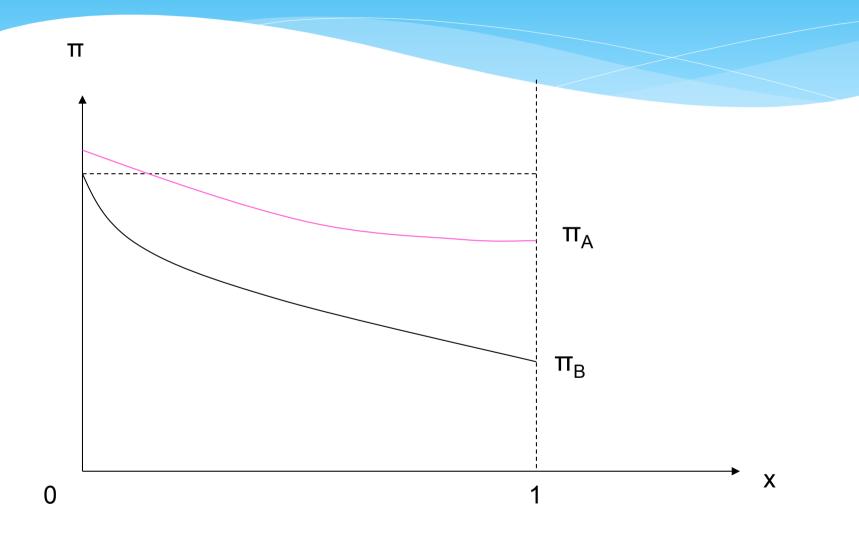
## Scenario 1: payoff in A decreases less rapidly than in B



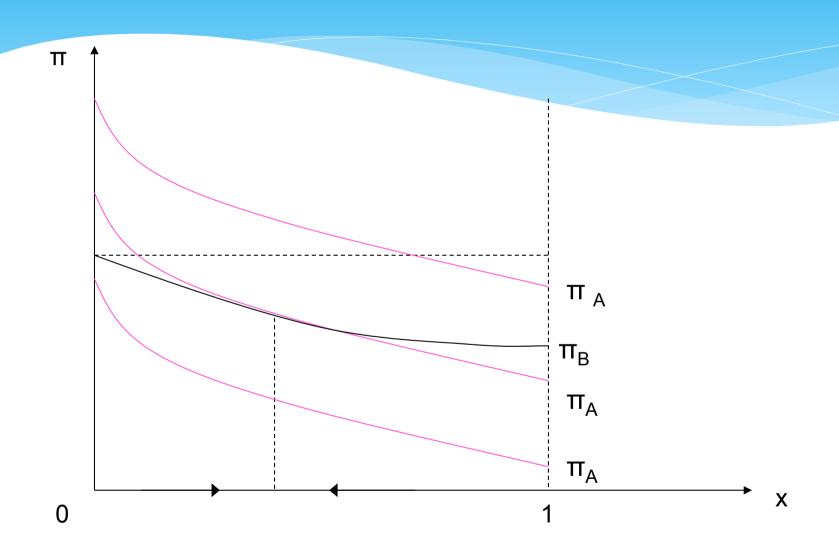
# Scenario 1: payoff in A decreases less rapidly than in B

- \* 3 possible sub-cases:
  - \* 1.1)  $\pi_A(x)$  always above  $\pi_B(x) \rightarrow x=1$  (full specialization in A)
  - \* 1.2)  $\pi_A(x)$  always below  $\pi_B(x) \rightarrow x=0$  (full specialization in B)
  - \* 1.3) Curves  $\pi_A(x)$  and  $\pi_B(x)$  cross in the  $(x,\pi)$  plane at some  $x^* \in (0,1)$ 
    - → "bistable dynamics": if the initial share x of agents working in A is below the threshold level, then all agents will work in B at the end of the day; vice-versa, if is larger than the threshold level (path-dependency)
    - If  $\pi_B(o) > \pi_A(1)$ , the individually rational choice of moving to A produces a socially undesirable equilibrium at the aggregate level for the community as a whole  $\rightarrow$  Pareto-dominated stable Nash equilibrium

### Scenario 1: payoff in A decreases less rapidly than in B



## Scenario 2: payoff in A decreases more rapidly than in B



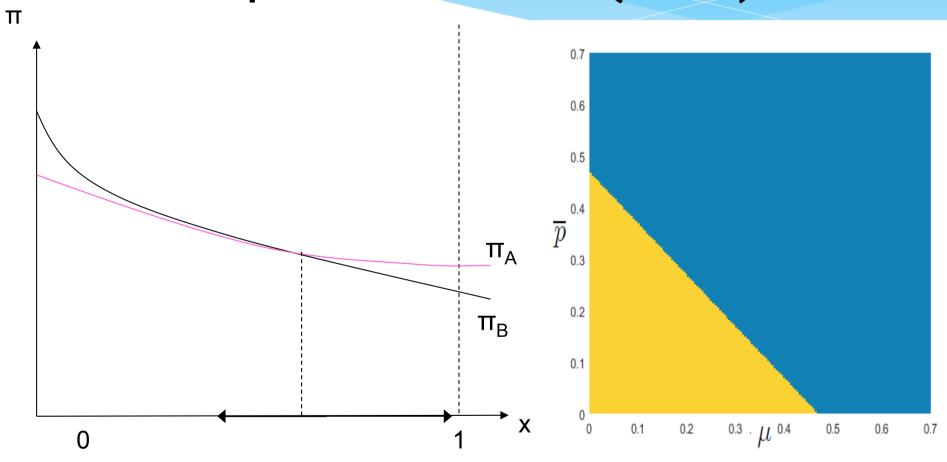
# Scenario 2: payoff in A decreases more rapidly than in B

- \* 3 possible sub-cases:
  - \* 2.1)  $\pi_A(x)$  steeper than  $\pi_B(x)$  but it always remains above it  $\rightarrow x=1$
  - \* 2.2)  $\pi_A(x)$  steeper than  $\pi_B(x)$  and lies always below it  $\rightarrow$  **x=0**
  - \* 2.3)  $\pi_A(x)$  steeper than  $\pi_B(x)$  and curves cross in the  $(x, \pi)$  plane  $\rightarrow$  converge towards the stable Nash equilibrium  $x^* \in (0,1)$ 
    - $\pi_B(0) > \pi_i(x^*)$ : although everyone would be better-off working in the lower-impact sector B, the dynamics that emerge from the strategy adoption process leads away from x=0 towards the stable equilibrium  $x^*$ , so that when  $x< x^*$  the community moves along a Pareto-dominated path.

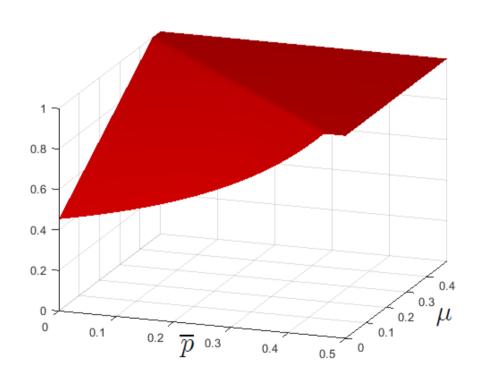
### Pricing water

- \*  $p = \bar{p} + \mu x \bar{N}$  where  $\bar{p} \ge 0, \bar{N} \ge 0$
- \*  $\mu$  = elasticity of water price to demand (e.g. WTP)
- \*  $\bar{p}$  = lower bound (e.g. price floor in an ETS)
- \* By properly modifying  $\bar{p}$  and  $\mu$  the Public Authority can affect the relative position of the curves and the dynamics of the system (and thus avoid Pareto-dominated outcomes)
- \* Fix  $\bar{p}$  and  $\mu$  so as to ensure that the curve  $\pi_A$  lies always below  $\pi_B$ :
- \*  $\pi_A(W_A(x)) \bar{p} + \mu x \overline{N} < \pi_B(W_A(x))$
- \* Results can hold as long as  $p_A > p_B$

### Simulation results-1: from bistability (yellow) to unique equilibrium x=0 (blue)



# Simulation results-2: the separating threshold



### Concluding remarks

- Water crucial for production processes but limited → water conflicts/competition among individuals, sectors, countries...
- \* The present paper examines a 2-sector model of water competition with imitative behaviours across agents
- \* If water is unpriced, the society as a whole may end up in a "poverty trap": individually rational choices lead to full/partial specialization in the most water-consuming (polluting) sector, but agents would be better-off by working in the alternative ("cleaner") sector.
- \* Water pricing mechanism to "escape" the poverty trap
- \* A properly designed WTAR (WTPR) [e.g. a sufficiently high price floor] can drive the economy away from the Pareto-dominated equilibrium

### Agenda for the future

- Introduce Leontieff production functions: e.g. YA=min[aWA,bxN]
- 2. Intertemporal evolution of water resources (e.g. role of infrastructures such as dams, canalizations etc...)  $\rightarrow$  from unidimensional to bidimensional dynamics (Phase plan in x and W)
- 3. Extend water competition from within countries to across countries

#### Thank you for your attention!!

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